

Toy model simulation

Generating:

$$\frac{dN}{d\phi} = 1 + 2v_2 \cos(2\phi) + 2a_{\pm} \sin(2\phi)$$

Input :

$$v_2 = 0.05$$
$$a_{\pm} = \pm 0.02$$

500 particles / event

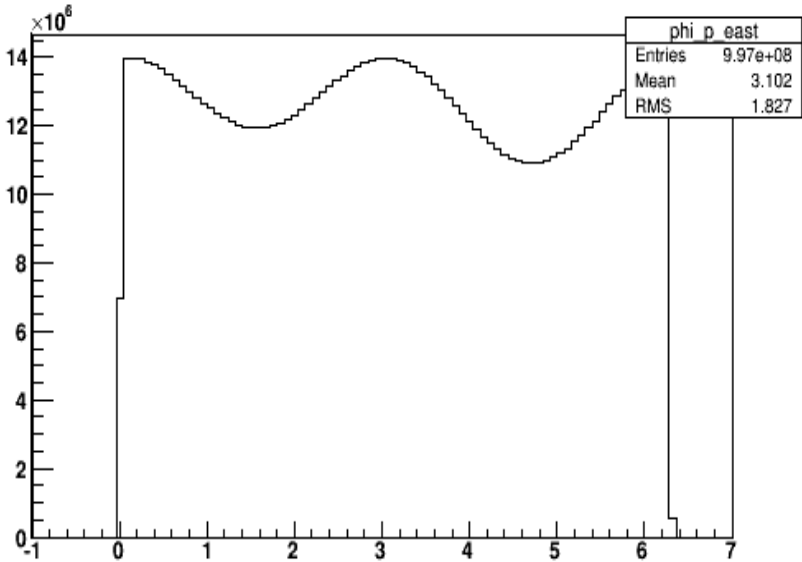
Positive : eta<0 125 eta>0 125

Negative : eta<0 125 eta>0 125

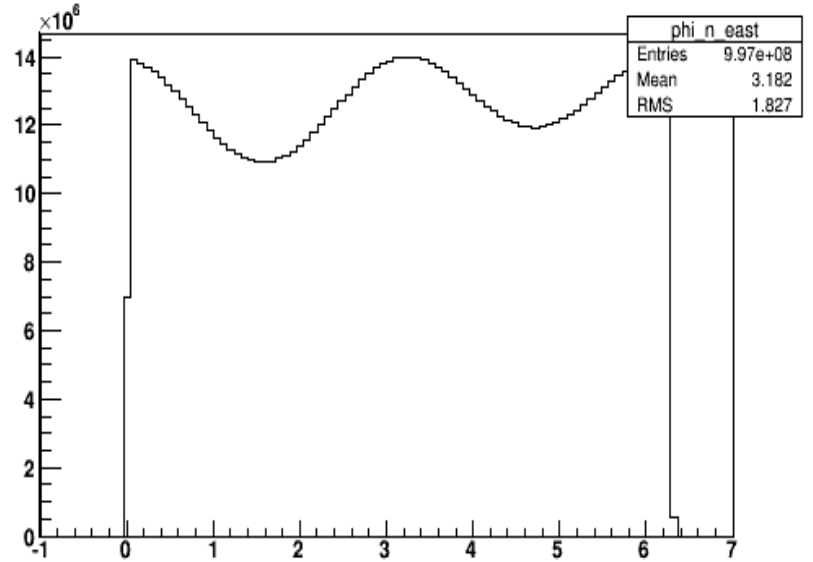
Expectation:

$$\gamma_{+-} = 0.0004$$
$$\gamma_{++} = \gamma_{--} = -0.0004 = -\left(\frac{\pi}{4}\right)^2 * \Delta \langle A^2 \rangle$$

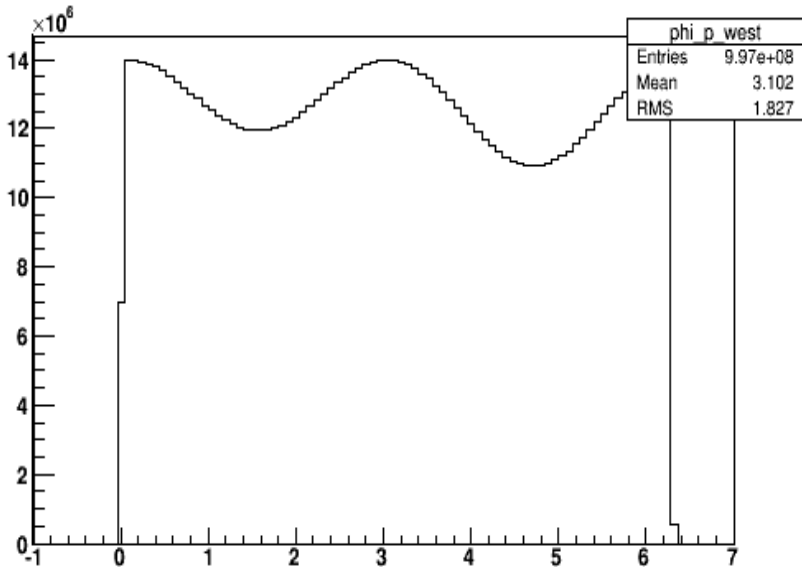
Positive Eta<0



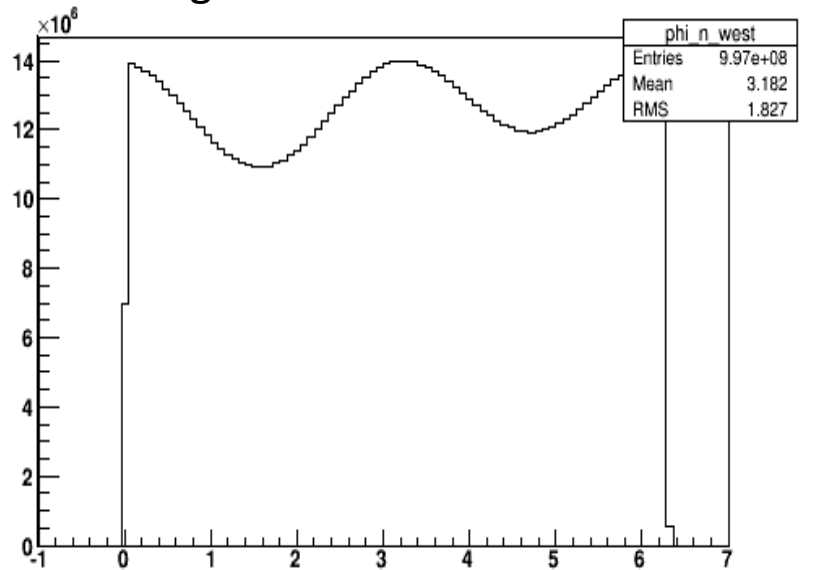
Negative Eta<0

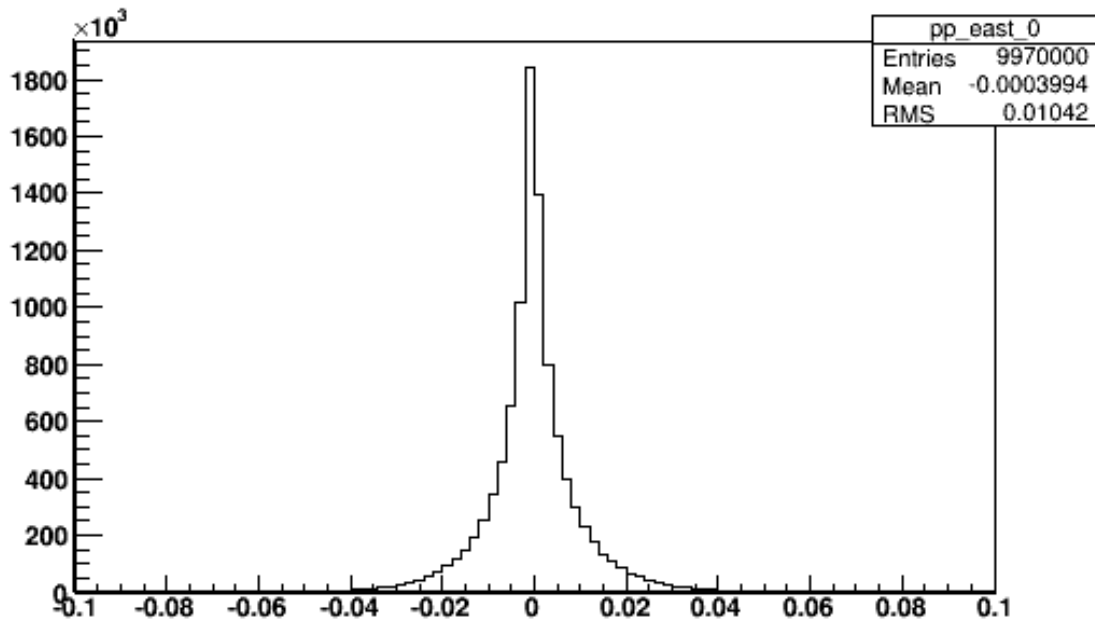


Positive Eta>0



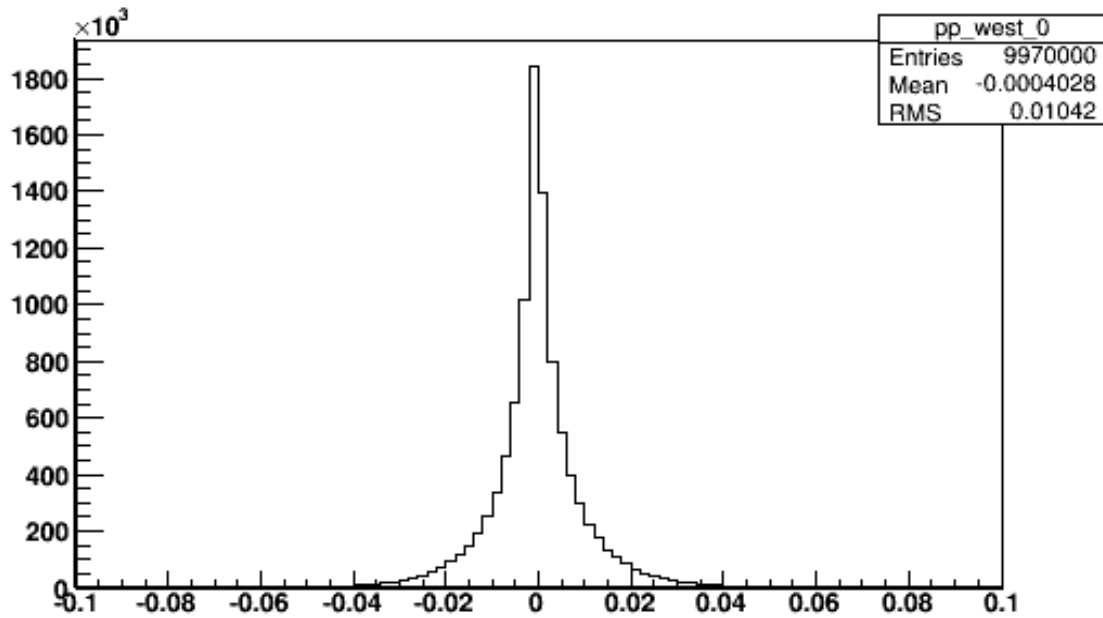
Negative Eta>0





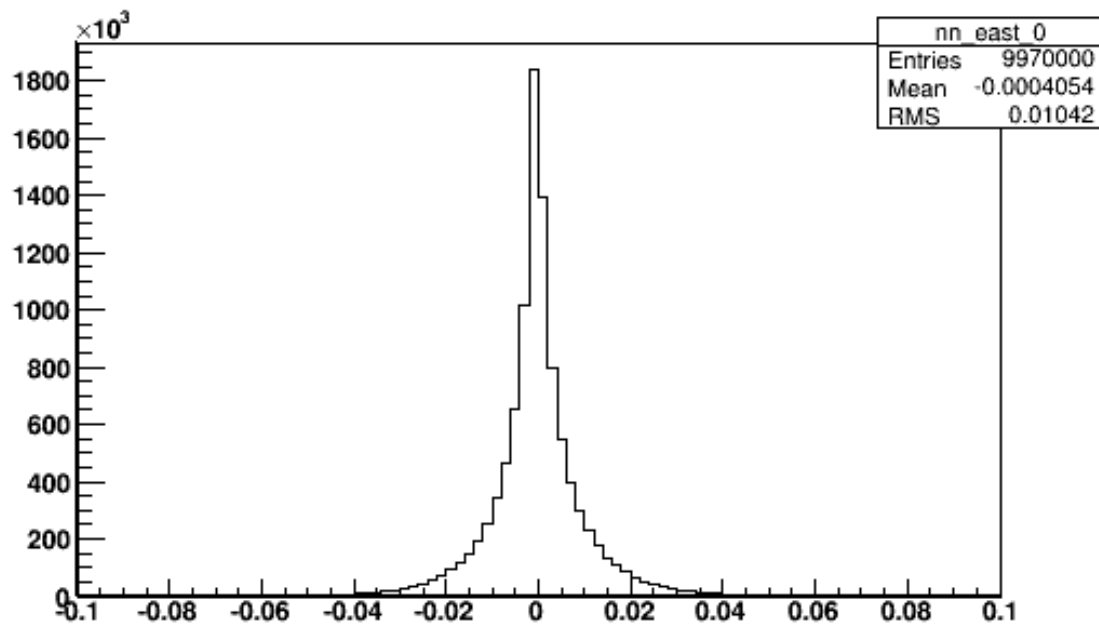
Eta<0

$$\gamma_{++_east} = -0.0003994$$



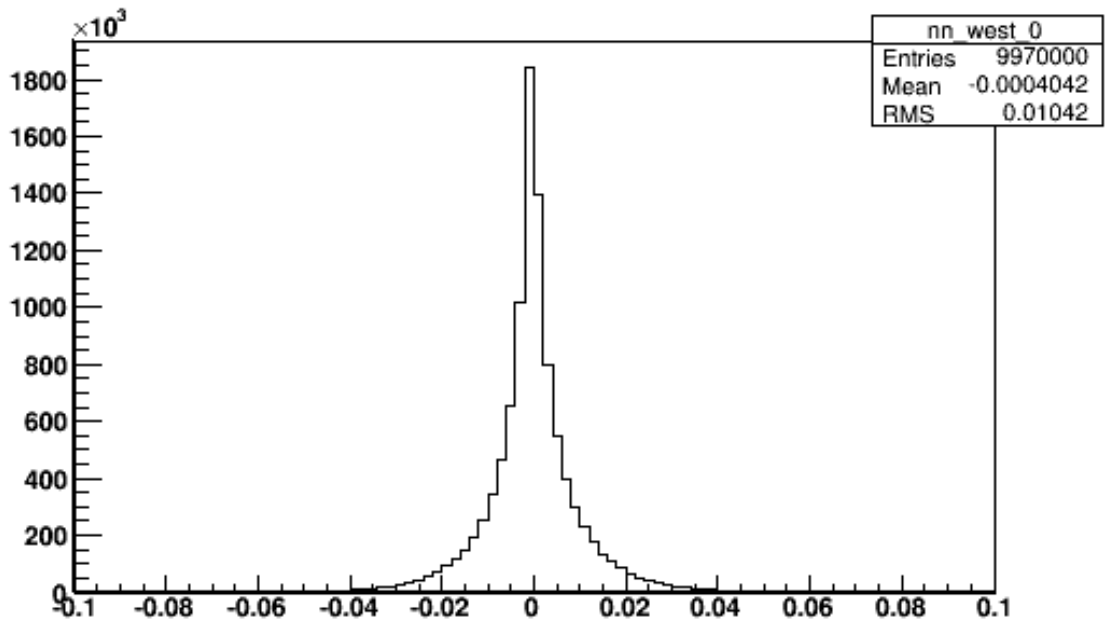
Eta>0

$$\gamma_{++_west} = -0.0004028$$



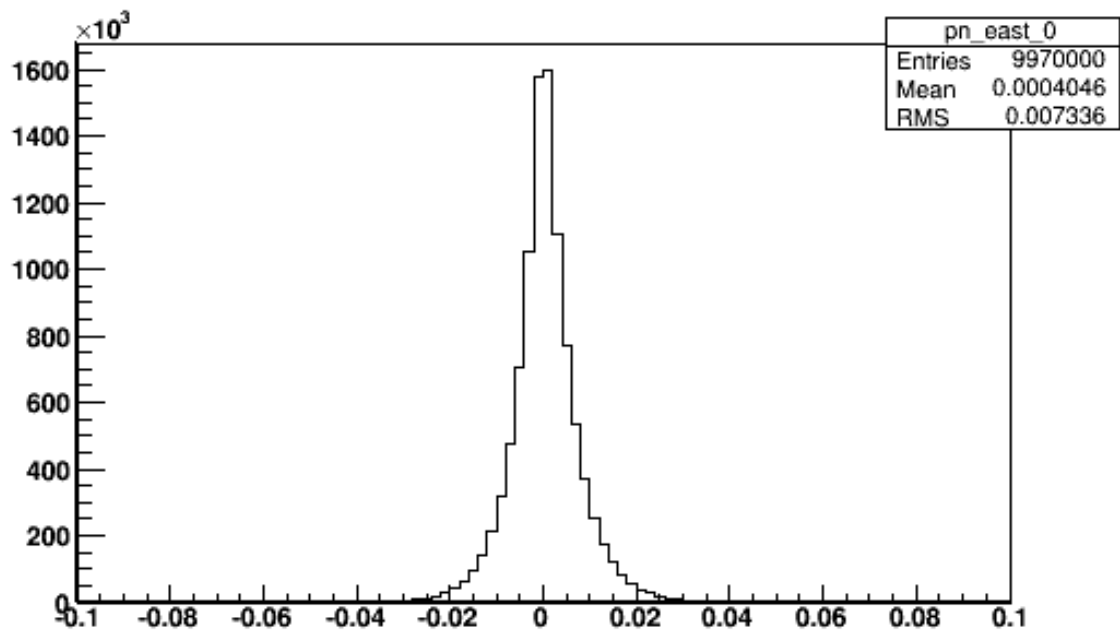
Eta<0

$$\gamma_{--_east} = -0.0004054$$



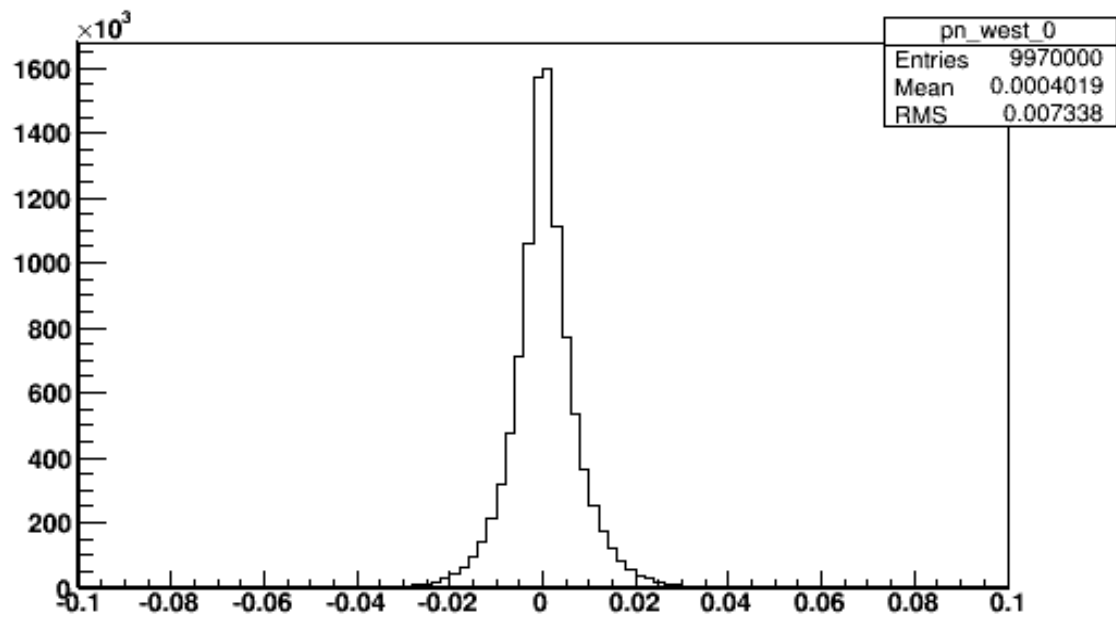
Eta>0

$$\gamma_{--_west} = -0.0004042$$



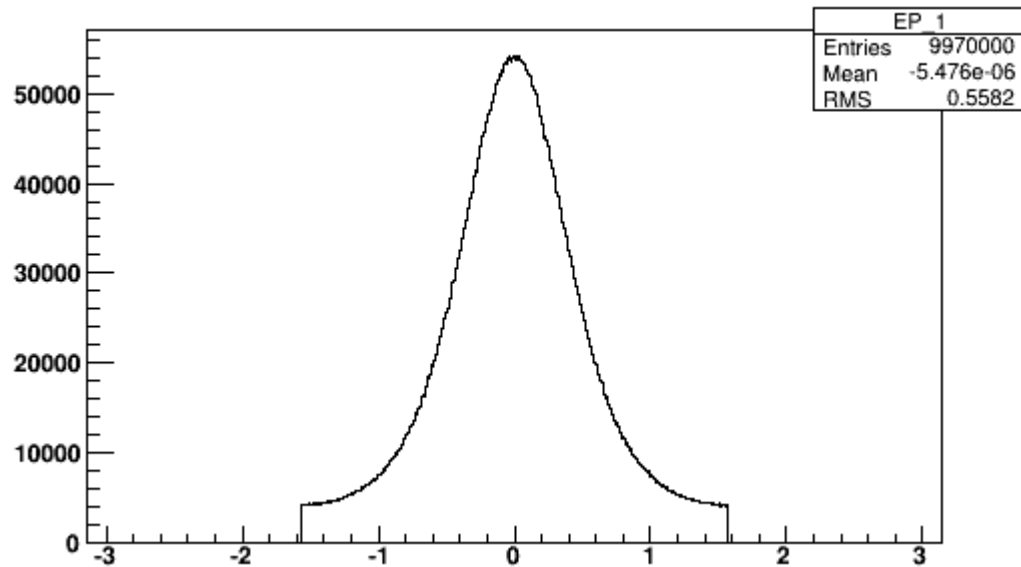
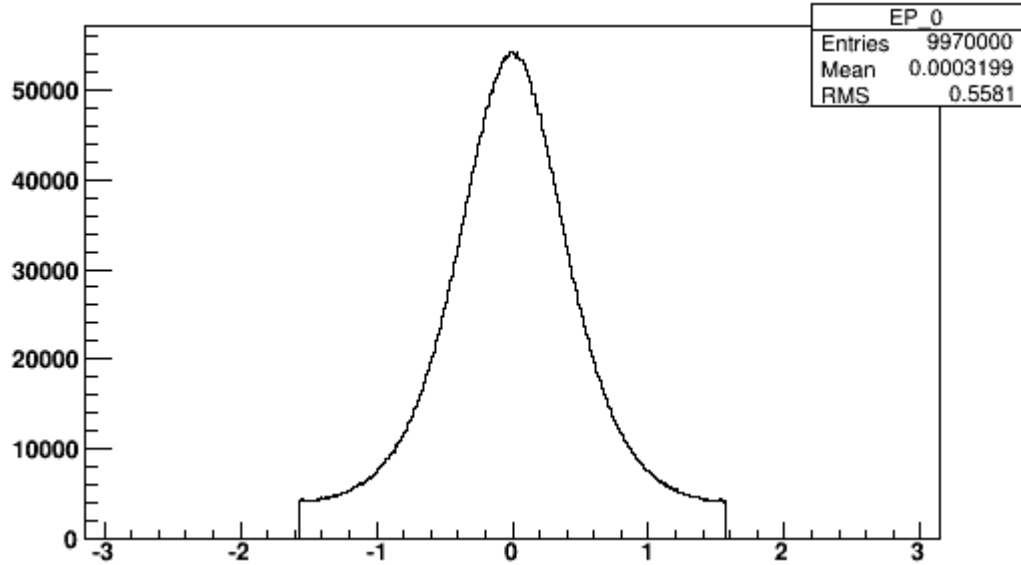
Eta<0

$$\gamma_{+-_east} = -0.0004046$$

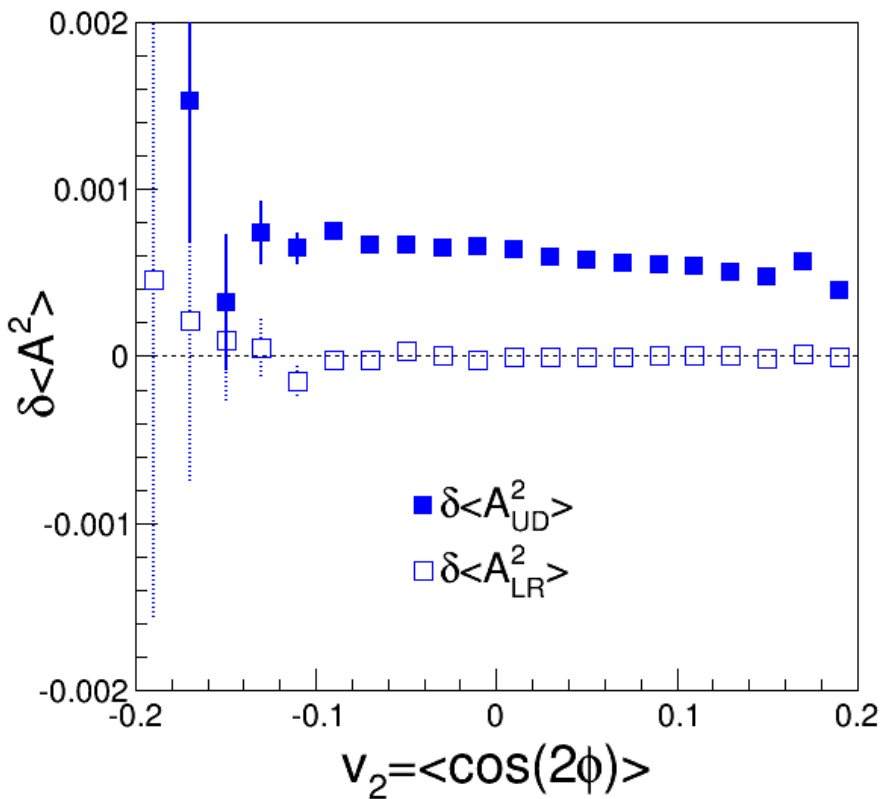


Eta>0

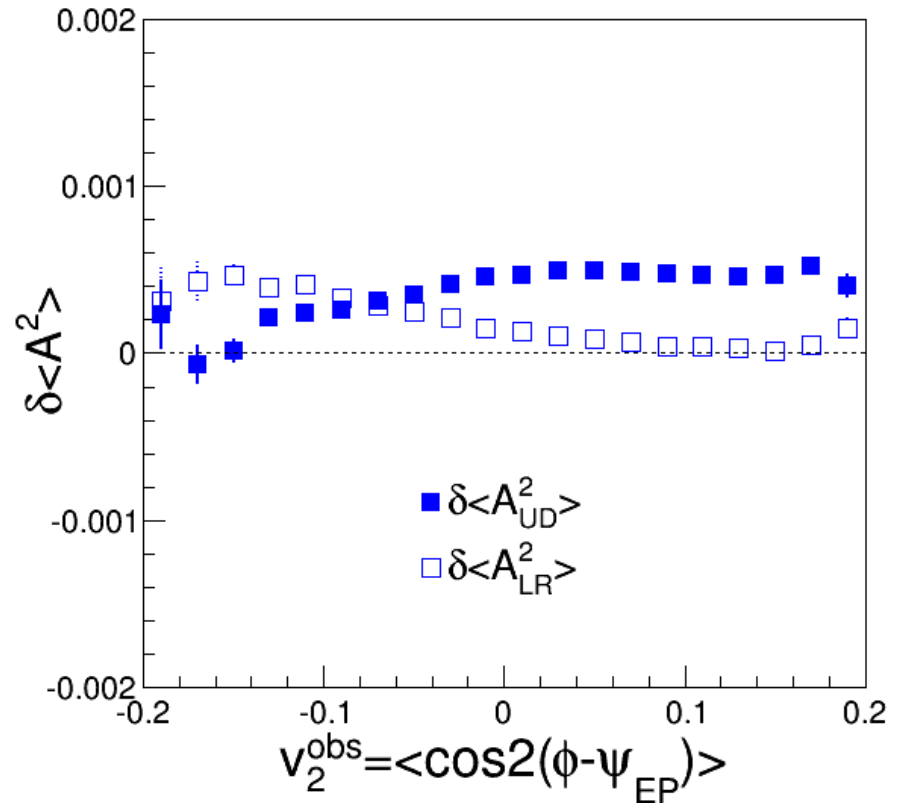
$$\gamma_{+-_west} = -0.0004019$$



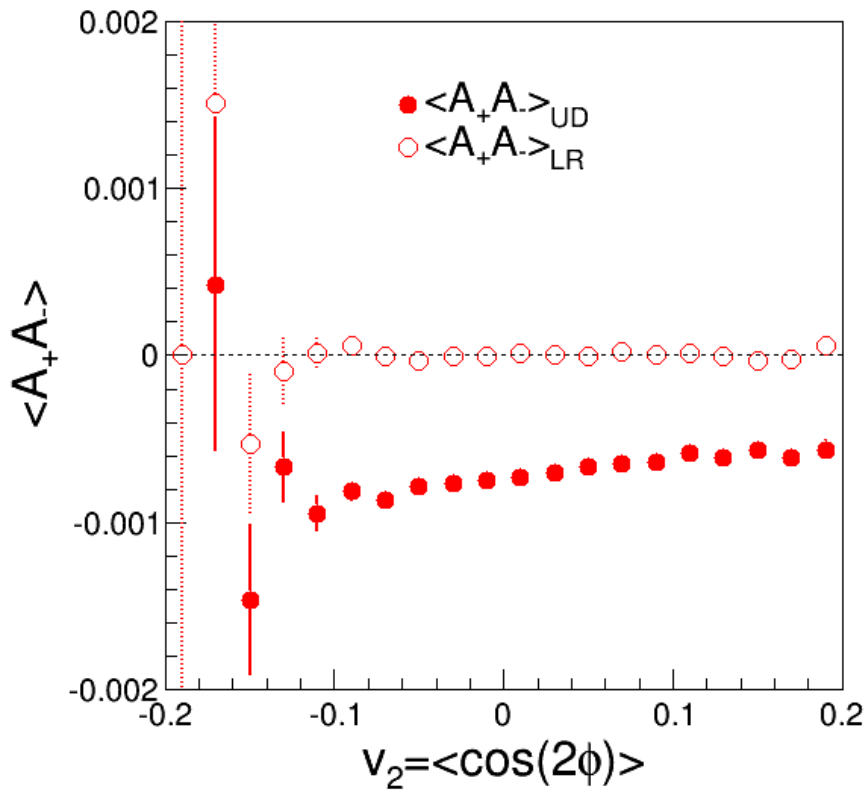
η_{sub} Event Resolution = 0.5579 ± 0.000256



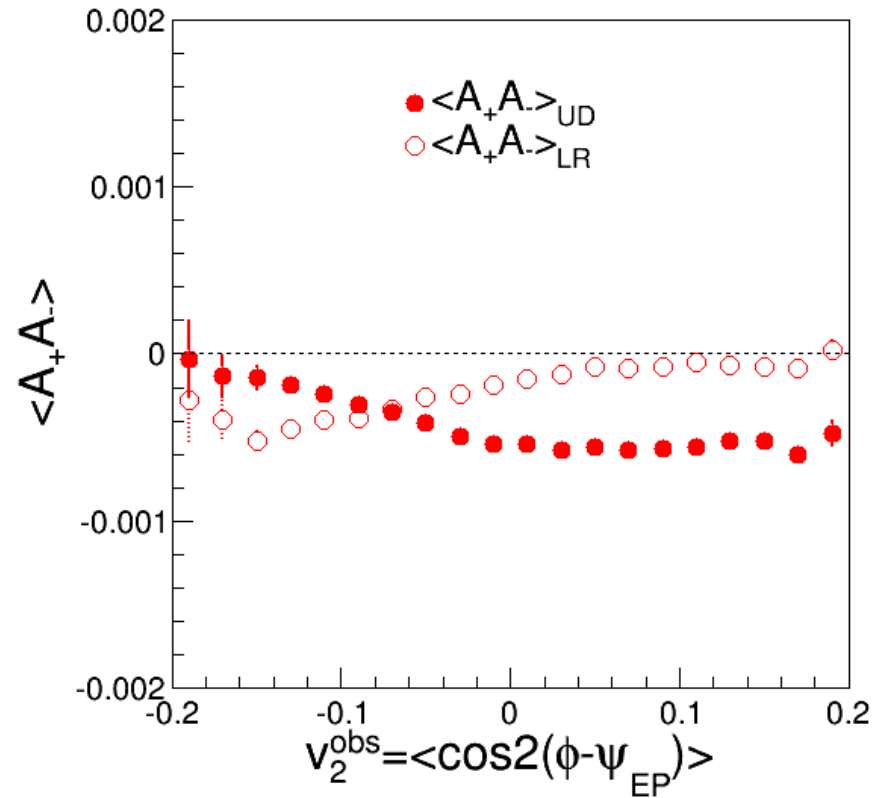
$\delta \langle A_{UD}^2 \rangle$ has a weakly linear dependence of v_2
 $\delta \langle A_{LR}^2 \rangle$ is consistent with 0



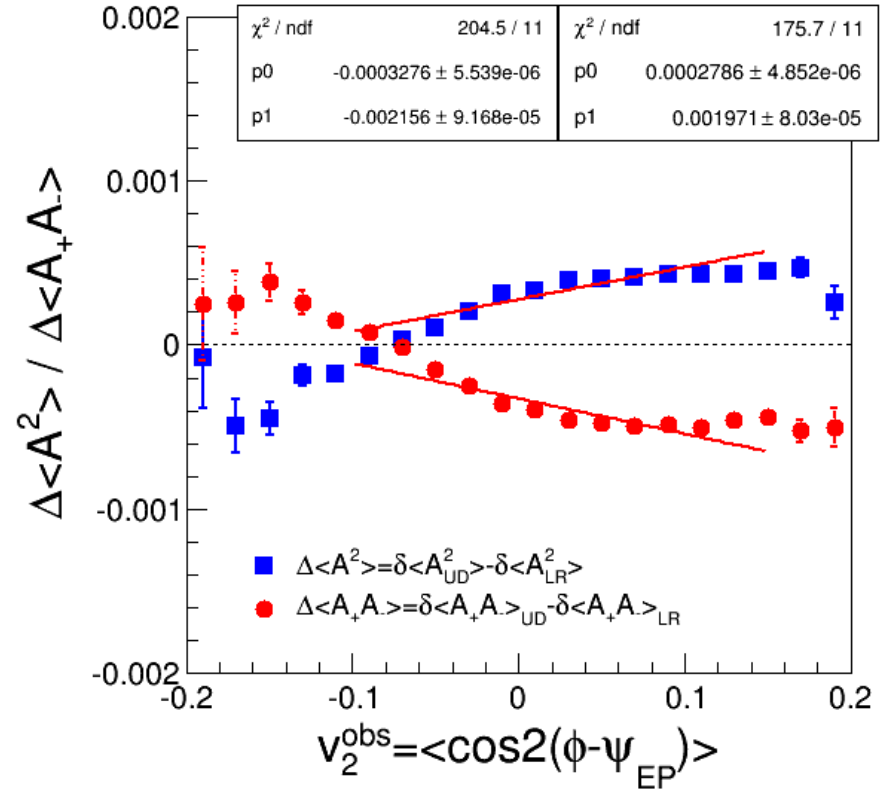
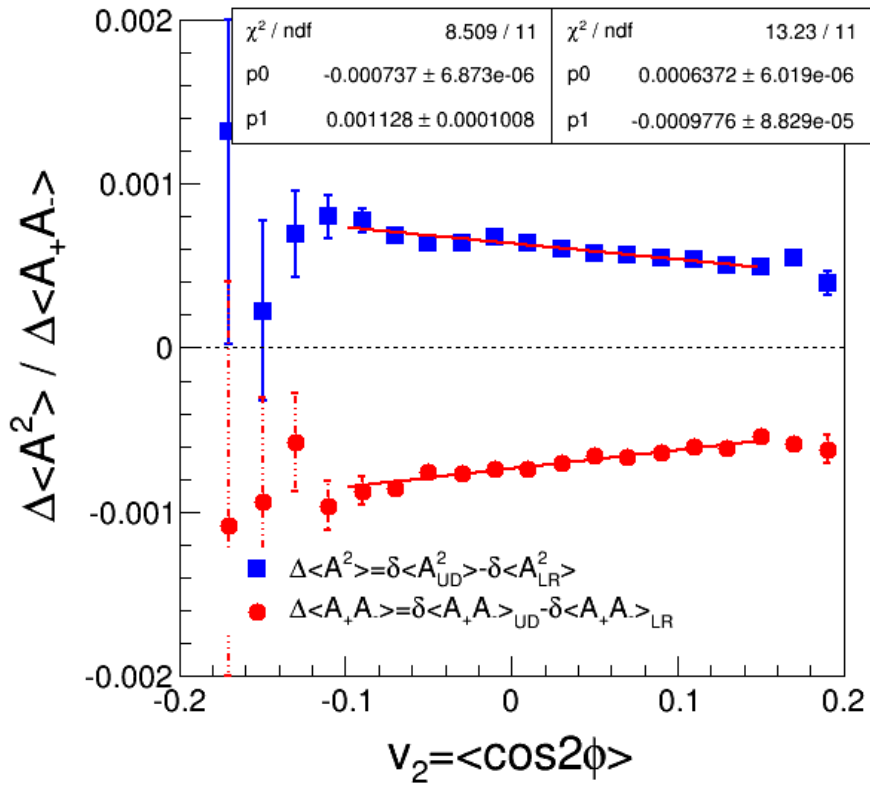
Compared with data,
 We can't find $\delta \langle A^2 \rangle$ have a linear dependence of v_2^{obs}



$\delta \langle A_+ A_- \rangle_{UD}$ has a weakly linear dependence of v_2
 $\delta \langle A_+ A_- \rangle_{LR}$ is consistent with 0



Compared with data,
 We can't find $\delta \langle A_+ A_- \rangle$ have a linear dependence of v_2^{obs}



$$\left(\frac{\pi}{4}\right)^2 * \Delta \langle A^2 \rangle = 0.0003931$$

is consistent with γ_{++} and γ_{--}

$$\left(\frac{\pi}{4}\right)^2 * \Delta \langle A_+ A_- \rangle = -0.00045463931$$

Δ have no linear dependence of v_2^{obs} .

If we should add some other terms in our generating function???